

# Modular Module Systems: a survey

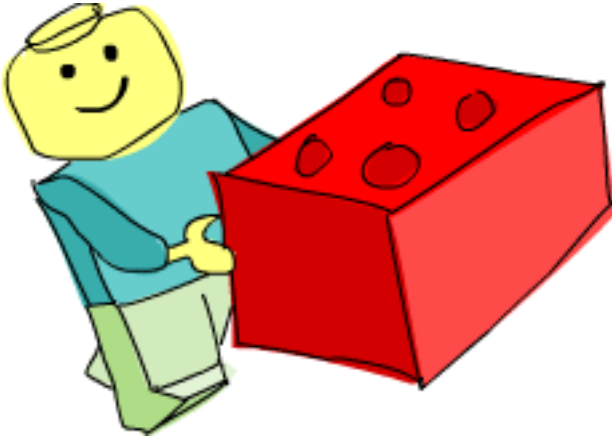
Christopher League

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Northeast Scala Symposium

9 March 2012

# What is a module?



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# What is a module?

## Linguistic relativity

From Wikipedia, the free encyclopedia

The principle of **linguistic relativity** holds that the structure of a language affects the ways in which its speakers are able to conceptualize their world, i.e. their [world view](#). Popularly known as the **Sapir–Whorf hypothesis**, or **Whorfianism**, the principle is often defined as having two versions: (i) the *strong* version that language determines thought and that linguistic categories limit and determine cognitive categories and (ii) the *weak* version that linguistic categories and usage influence thought and certain kinds of non-linguistic behavior.

The idea was first clearly expressed by 19th century thinkers, such as [Wilhelm von Humboldt](#), who saw language as the expression of the spirit of a nation. The early 20th century school of American Anthropology headed by [Franz Boas](#) and [Edward Sapir](#) also embraced the idea. Sapir's student [Benjamin Lee Whorf](#) came to be seen as the primary proponent as a result of his published observations of how he perceived linguistic differences to have consequences in human cognition and behavior. [Harry Hoijer](#), one of Sapir's students, introduced the term "Sapir–Whorf hypothesis",<sup>[1]</sup> even though the two scholars never actually advanced any such hypothesis.<sup>[2]</sup> Whorf's

principle of linguistic relativity was reformulated as a testable hypothesis by

# What is a module?

1. Separate compilation
2. Namespace management
3. Hiding / abstraction

# Separate compilation in C

- ▶ “module” == file

```
#include <stdio.h>
```

- ▶ declarations

```
extern int foo;
```

- ▶ vs. definitions

```
int foo = 40;
```

# Namespace management in C

- ▶ Hiding only, to limit namespace pollution

```
static void dont_export_me_bro()  
{  
    //...  
}
```

# Namespace management in C++

- ▶ Nesting, scope operator, imports, limited renaming

```
namespace greenfield { }  
using namespace std;  
using greenfield::cout;  
namespace magick = future::tech;  
magick::dwim();
```

# Abstract data types in C

- ▶ Opaque type declaration ( $\exists$ ), `void*` ( $\forall?$ )

```
struct stack;  
stack* new_stack();  
void push (stack*, void*);
```



# Type abstraction in C++

- ▶ Generics ( $\forall T$  such that ???)

```
template<class T>
```

```
T& findMin(T* array, int size);
```

# Hiding in C++

- ▶ Member access control

```
class Foo {  
private:  
    int x;  
};
```

# Hiding in C++

- ▶ Privacy via subsumption

```
struct stack {  
    virtual void push(int) = 0;  
    virtual int pop() = 0;  
    static stack* create();  
};  
struct stackImpl : public stack {  
    int a[SIZE];  
    int k;  
    // ...  
};
```

# Modules in Haskell

“Haskell’s module design is relatively conservative”

— *A Gentle Introduction to Haskell*

```
module Utility.StatFS(  
    FileSystemStats(..),  
    getFileSystemStats) where  
  
import Data.ByteString  
import Data.ByteString.Char8 (pack)  
import qualified Foreign as F  
  
getFileSystemStats ::  
    String -> IO (Maybe FileSystemStats)  
getFileSystemStats path = {- ... -}  
  
data FileSystemStats = {- ... -}
```

# Type classes in Haskell

```
class Arbitrary a where  
  arbitrary :: Gen a
```

```
instance Arbitrary Bool where  
  arbitrary = choose (False, True)
```

```
instance (Arbitrary a, Arbitrary b) => Arbitrary (a,b)  
  where  
    arbitrary = liftM2 (,) arbitrary arbitrary
```

```
prn :: (Arbitrary a, Show a) => a -> IO ()
```

# ML *for the* WORKING PROGRAMMER



2ND EDITION

L.C. Paulson

# Signatures

- ▶ Type declarations and value specifications

```
signature COLLECTION = sig
  type 'a t
  val empty: 'a t
  val isEmpty: 'a t -> bool
end
signature QUEUE = sig
  type 'a t
  val enqueue: 'a * 'a t -> 'a t
  val dequeue: 'a t -> ('a t * 'a) option
end
signature DEQUE = sig
  include COLLECTION
  structure Front: QUEUE where type 'a t = 'a t
  structure Rear: QUEUE where type 'a t = 'a t
end
```

# Structures

- ▶ Nested collections of defs, constrained by sigs

```
structure Deque :> DEQUE = struct
  type 'a t = 'a list * 'a list
  val empty = (nil, nil)
  fun isEmpty (nil, nil) = true
    | isEmpty _ = false
  structure Front = struct
    type 'a t = 'a t
    fun enqueue (x, (rs,fs)) = (rs, x::fs)
    fun dequeue (nil, nil) = NONE
      | dequeue (rs, x::fs) = SOME ((rs,fs), x)
      | dequeue (rs, nil) = dequeue (nil, rev rs)
  end
  structure Rear = struct (* ... *) end
end
```



# Functors

- ▶ Structures parameterized by structures
- ▶ **Not** the thing from category theory, Haskell

```
functor TestDeque(D: DEQUE) = struct
  val q1 = D.empty
  val q2 = D.Front.enqueue (3, q1)
  val q3 = D.Front.enqueue (2, q2)
  val q4 = D.Rear.enqueue (4, q3)
  val q5 = D.Rear.enqueue (5, q4)
  (* ... *)
end
```

```
structure T = TestDeque(Deque)
```

# 'Functorized' style in ML

- ▶ Lift most structure dependencies to functor parameters

```
functor CompileF(M : CODEGENERATOR): COMPILE0 = ...  
functor EvalLoopF(Compile: TOP_COMPILE) : EVALLOOP = ...  
functor Interact(EvalLoop : EVALLOOP) : INTERACT = ...
```

- ▶ Instantiate dependencies at 'link time'

```
structure Interact =  
  Interact(EvalLoopF(CompileF(X86MC)))
```

# A signature for mutable graphs

- ▶ Parameterize by type representing Vertex, Edge.

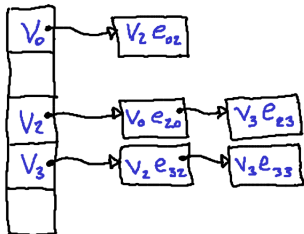
```
trait DirectedGraphSig {  
  trait Graph[V,E] {  
    def vertices: Iterator[V]  
    def successors(v: V): Iterator[(V,E)]  
    def add(v: V)  
    def contains(v: V): Boolean  
    def add(v1: V, v2: V, e: E)  
    def get(v1: V, v2: V): Option[E]  
  }  
  def create[V,E]: Graph[V,E]  
}
```

## Yes, mutable — sorry

```
import scala.collection.generic.MutableMapFactory
import scala.collection.generic.MutableSetFactory
import scala.collection.mutable._
```

# Representing graphs

- ▶ Adjacency list vs. adjacency matrix



|       | $V_0$    | $V_1$    | $V_2$    | $V_3$    | $V_4$    |
|-------|----------|----------|----------|----------|----------|
| $V_0$ |          |          | $e_{02}$ |          | $e_{04}$ |
| $V_1$ | $e_{10}$ |          |          | $e_{13}$ |          |
| $V_2$ | $e_{20}$ |          |          | $e_{23}$ |          |
| $V_3$ |          |          | $e_{32}$ | $e_{33}$ |          |
| $V_4$ |          | $e_{41}$ |          |          |          |

- ▶ In general:  $V \rightarrow V \rightarrow E$

# Building graphs from maps

```
class DirectedGraphFun[
  M1[A,B] <: Map[A,B] with MapLike[A,B,M1[A,B]],
  M2[A,B] <: Map[A,B] with MapLike[A,B,M2[A,B]]]
(MF1: MutableMapFactory[M1],
 MF2: MutableMapFactory[M2])
extends DirectedGraphSig
{
  class GraphImpl[V,E] extends Graph[V,E] {
    private val rep: M1[V,M2[V,E]] = MF1.empty
    // ...
  }
  def create[V,E] = new GraphImpl[V,E]
}
```

# Instantiating the 'functor'

```
object AdjacencyList  
extends DirectedGraphFun[  
  HashMap, ListMap](HashMap, ListMap)
```

```
object AdjacencyMatrix  
extends DirectedGraphFun[  
  HashMap, HashMap](HashMap, HashMap)
```

- ▶ Easily build new modules with different space-time characteristics

# Inspiration from C++ STL

```
#include <algorithm>
```



# Graph search implementation

```
class GraphSearchFun[
  S[A] <: Set[A] with SetLike[A,S[A]]]
  (S: MutableSetFactory[S],
   WL: WorkListSig)
{
  type Path[V,E] = List[(V,E)]
  def search[V,E](g: DirectedGraphSig#Graph[V,E],
                 origin: V,
                 f: (V, Path[V,E]) => Unit) {
    val visited = S.empty[V]
    val work = WL.create[(V,Path[V,E])]
    work.put((origin, Nil))
    while(!work.isEmpty) {
      val (v1, path1) = work.take
      // ...
    }
  }
}
```

# Graph search relies on a work list

```
trait WorkListSig {  
  trait WorkList[T] {  
    def isEmpty: Boolean  
    def put(x: T)  
    def take: T  
  }  
  def create[T]: WorkList[T]  
}
```

# Various work list strategies

```
object LIFO extends WorkListSig {
  trait StackAsWorkList[T]
  extends Stack[T] with WorkList[T] {
    def put(x: T) = push(x)
    def take: T = pop
  }
  def create[T] = new Stack[T] with StackAsWorkList[T]
}

object FIFO extends WorkListSig {
  trait QueueAsWorkList[T]
  extends Queue[T] with WorkList[T] {
    def put(x: T) = enqueue(x)
    def take: T = dequeue
  }
  def create[T] = new Queue[T] with QueueAsWorkList[T]
}
```

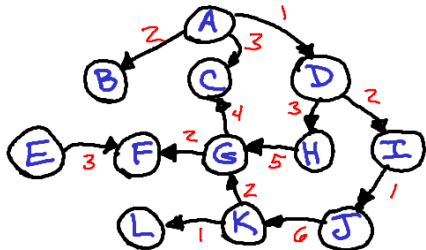
# Voilà — different search algorithms

```
object BFS
```

```
extends GraphSearchFun[Set](Set, FIFO)
```

```
object DFS
```

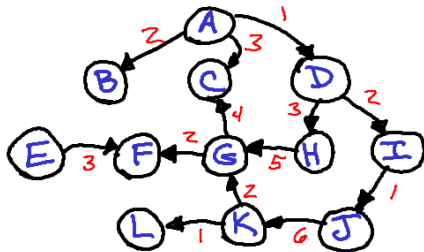
```
extends GraphSearchFun[Set](Set, LIFO)
```



```

class ExampleFun[G <: DirectedGraphSig](G: G) {
  def example: G#Graph[String,Int] = {
    val g = G.create[String,Int]
    g.add("A", "B", 2); g.add("A", "C", 3)
    g.add("A", "D", 1); g.add("G", "C", 4)
    g.add("D", "H", 3); g.add("D", "I", 2)
    g.add("E", "F", 3); g.add("G", "F", 2)
    g.add("H", "G", 5); g.add("I", "J", 1)
    g.add("J", "K", 6); g.add("K", "G", 2)
    g.add("K", "L", 1)
    g
  }
}

```



BFS on AdjacencyList

- A from List()
- D from List((A,1))
- C from List((A,3))
- B from List((A,2))
- I from List((D,2), (A,1))
- H from List((D,3), (A,1))
- J from List((I,1), (D,2), (A,1))
- G from List((H,5), (D,3), (A,1))
- K from List((J,6), (I,1), (D,2), (A,1))
- F from List((G,2), (H,5), (D,3), (A,1))
- L from List((K,1), (J,6), (I,1), (D,2), (A,1))

DFS on AdjacencyMatrix

- A from List()
- B from List((A,2))
- D from List((A,1))
- I from List((D,2), (A,1))
- J from List((I,1), (D,2), (A,1))
- K from List((J,6), (I,1), (D,2), (A,1))
- G from List((K,2), (J,6), (I,1), (D,2), (A,1))
- F from List((G,2), (K,2), (J,6), (I,1), (D,2), (A,1))
- C from List((G,4), (K,2), (J,6), (I,1), (D,2), (A,1))
- L from List((K,1), (J,6), (I,1), (D,2), (A,1))
- H from List((D,3), (A,1))

# Untyped → typed

- ▶ Traits from Smalltalk, Self
- ▶ Flavors, mixins from CLOS

## Traits: A Mechanism for Fine-Grained Reuse

STÉPHANE DUCASSE

University of Berne and LISTIC, University of Savoie

OSCAR NIERSTRASZ and NATHANAEL SCHÄRLI

University of Berne

ROEL WUYTS

Université Libre de Bruxelles  
and

ANDREW P. BLACK

Portland State University

Inheritance is well-known and accepted. Unfortunately, due to the coarse grain of application into an optimal class hierarchy on single inheritance, multiple inheritance overcome these problems we propose to develop a formal model of traits that can be used to form classes. We also outline how to refactor a nontrivial application into

Categories and Subject Descriptors: D

Features—Classes and objects, Inheritance and Enhancement—Restructuring

General Terms: Languages

Additional Key Words and Phrases: reuse, Smalltalk

## Organizing Programs Without Classes\*

DAVID UNGAR<sup>†</sup>

CRAIG CHAMBERS

BAY-WEI CHANG

URS HÖLZLE

*Computer Systems Laboratory,*

**Abstract.** All organizational functions in a natural way by object inheritance

## Flavors

A non-hierarchical approach to object-oriented programming

*LISP AND SYMBOLIC COMPUTATION: An International Journal, 4, 223-242, 1991*  
© 1991 Kluwer Academic Publishers - Manufactured in The Netherlands

Cannon

## Self: The Power of Simplicity

*David Ungar and Randall B. Smith*

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# Room 101

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A place to be (re)educated in Newspeak

Sunday, June 05, 2011

## Types are Anti-Modular

Last week I attended a workshop on language design. I made the off-the-cuff remark that types are actually anti-modular, and that comment resonated enough that I decided to tweet it. This prompted some questions, tweets being a less than perfect format for elaborate explanation of ideas (tweets are anti-communicative?). And so, I decided to expand on this in a blog post.

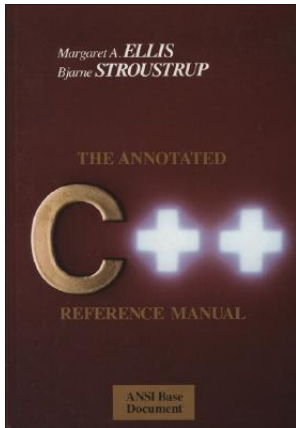
Saying that types are anti-modular doesn't mean that types are bad (though it certainly isn't a good thing). Types have pros and cons, and this is one of the cons. Anyway, I should explain what I mean and how I justify it.

The specific point I was discussing when I made this comment was the distinction between *separate compilation* and *independent compilation*. Separate compilation allows you to compile parts of a program separately from other parts. I would say it was a necessary, but not sufficient, requirement for modularity.



# Untyped → typed

“It was not obvious how to combine the C++ strong static type checking with a scheme flexible enough to support directly the ‘mixin’ style of programming used in some LISP dialects.”



# Untyped $\rightarrow$ typed ?

IEEE  
Software

## The Larch Family of Specification Languages

---

John V. Guttag, Massachusetts Institute of Technology  
James J. Horning, Digital Equipment Corporation  
Jeannette M. Wing, Carnegie-Mellon University

---

### The Larch Shared Language

The *trait* is the basic unit of specification in the Larch Shared Language. A trait introduces operators and specifies their properties. Sometimes the collection of operators will correspond to an abstract data type. Frequently, however, it is useful to define properties that do not fully characterize a type.

TableSpec: trait

**introduces**

new:  $\rightarrow$  Table

add: Table, Index, Val  $\rightarrow$  Table

#  $\epsilon$  #: Index, Table  $\rightarrow$  Bool

eval: Table, Index  $\rightarrow$  Val

isEmpty: Table  $\rightarrow$  Bool

size: Table  $\rightarrow$  Card

**constrains** new, add,  $\epsilon$ , eval, isEmpty,

size **so that**

**for all** [*ind*, *indl*: Index,

*val*: Val, *t*: Table]

eval(add(*t*, *ind*, *val*), *indl*) =

if *ind* = *indl*

then *val*

else eval(*t*, *indl*)

*ind*  $\epsilon$  new = false

*ind*  $\epsilon$  add(*t*, *indl*, *val*) =

(*ind* = *indl*)  $\vee$  (*ind*  $\epsilon$  *t*)

size(new) = 0

size(add(*t*, *ind*, *val*)) = if *ind*  $\epsilon$  *t*

then size(*t*) else size(*t*) + 1

isEmpty(*t*) = (size(*t*) = 0)

# Thanks!

league@contrapunctus.net  
@chrisleague

- ▶ Code and slides will be made available later