# Typed compilation of objects

Christopher League

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# Why typed compilation?

- We must ensure safe, efficient execution of untrusted code
  - Digital signature confirms identity, not safety
  - Reference monitor too expensive for fine-grained properties



# How does it work?

- Develop sound & decidable type system for intermediate and object languages
- Transform source-level type information
- Emit object code + typing derivation





# Why objects?

- Cannot deny that OO technology remains popular...
- Thus, for certifying compilation to be viable, we must support OO!



# What is an object?

• C++ compiler hacker:

"An object is just a struct with a pointer to a struct containing function pointers."

• True, but that fails to capture the subtle invariants that make it work...



# What is an object?

• Functional programming advocate:

"An object is just a closure with multiple entry points."

• Maybe, but that fails to account for dynamic binding.



# Dynamic binding is essential

- Inheritance without polymorphism is possible, but certainly not very useful.
- One can declare derived types, but the actual operation being called is always known at compile time.

[Booch 1994]



# Outline

- Object layout efficient dynamic dispatch
- Object encoding capturing the invariants
- Additional issues in compiling Java
- Compiling non-manifest base classes





# What is object layout?

- von Neumann architecture has no notion of methods, objects, classes, inheritance, or dynamic binding
- We must map these features onto load/store operations and sequential memory
- Procedural abstractions (records and functions) are "closer to the metal"



# Learn from compiler hackers

- Whether or not they know type theory, they certainly understand invariants
- The efficient layout used in C++ works for a reason
- Can we understand and capture that reason?



#### Implementing dynamic dispatch

Object x = ...; x.toString();

// invokevirtual — a primitive
// of the Java Virtual Machine



# Implementing dynamic dispatch

vtab

toString

equal

Object x = ...; x.toString();

// virtual method call expands to: if (x == null) throw NullPointerExn; r1 = x.vtab; r2 = r1.toString; call r2 (x);

self argument



# Multiple objects share vtable

Object x = ...; x.toString();

Object y = ...;





## Subclasses share method code

Object x = ...; x.toString();

InputStream z = ...;



# Breaking the invariant

Object c = new C(); c.toString();

Object d = new D();

// virtual method call
(null check)
r1 = c.vtab;
r2 = r1.toString;
call r2 (c);
call r2 (d);



# What happened?

- The object passed as the self argument must be the same object from which the method was selected
  - (Actually, it must belong to same dynamic class)
- Goal:
  - Encode that invariant using a type system, but
  - Do not interfere with efficient layout



# **Object encoding**



# Objects are tuples of functions

- With single inheritance, all offsets should be known at compile time
- Therefore we just need tuples with fixed offsets
  - No record extension or concatenation
  - No first-class labels



# Tuples

 $\frac{\Delta; \Gamma \vdash e_i: \tau_i \quad \forall i \in 1 \dots n}{\Delta; \Gamma \vdash \langle e_1, \dots, e_n \rangle: \langle \tau_1, \dots, \tau_n \rangle}$ 

$$\frac{\Delta; \Gamma \vdash e: \langle \tau_1, \dots, \tau_n \rangle \quad 1 \le i \le n}{\Delta; \Gamma \vdash e.i: \tau_i}$$



#### Functions

 $\frac{\Delta; \Gamma, x : \tau \vdash e : \tau'}{\Delta; \Gamma \vdash \lambda x : \tau . e : \tau \rightarrow \tau'}$ 

# $\frac{\Delta; \Gamma \vdash e : \tau \rightarrow \tau' \quad \Delta; \Gamma \vdash e' : \tau}{\Delta; \Gamma \vdash e e' : \tau'}$



# Typing self application

• Suppose x is an object, with an integer method in slot 1 of its vtable

#### $\Delta; \Gamma \vdash (x.1.1) x : int$

• But what is the type of x ?





# Recursive definition?

 $\tau_{x} = \langle \langle \tau_{x} \to \text{int} \rangle, \text{int} \rangle$ 

# $\tau_{x} = \mu \alpha. \langle \langle \alpha \to \text{int} \rangle, \text{int} \rangle$ $= \langle \langle (\mu \alpha. \langle \langle \alpha \to \text{int} \rangle, \text{int} \rangle) \to \text{int} \rangle, \text{int} \rangle$



# A simple object type

$$\tau_{\chi} = \mu \alpha. \langle \langle \alpha \rightarrow int \rangle, int \rangle$$

- But what about subclasses?
- Subtyping doesn't help much, due to the recursive type
- Again, take inspiration from the programmer...



## Each object has two types

• Programmers distinguish between the static and dynamic classes of an object

Object x; if (rand()%2 == 0) { x = new Cat(); } else { x = new Dog(); } x.toString();



# Each object has two types

- The static class is known at compile time. The dynamic class is unknown, but it is some subclass of the static class.
- There are several ways to model this idea directly



#### Embrace the unknown

• ...with an existential quantifier  $\Delta, \alpha :: \kappa \vdash \tau :: Type \quad \Delta \vdash \tau' :: \kappa$  $\Delta; \Gamma \vdash e : \tau[\alpha := \tau']$  $\Delta$ ;  $\Gamma \vdash$  hide  $\alpha :: \kappa = \tau'$  in  $e:\tau : \exists \alpha :: \kappa.\tau$  $\Delta$ ;  $\Gamma \vdash e : \exists \alpha :: \kappa. \tau$   $\Delta \vdash \tau' :: Type$  $\Delta, \alpha :: \kappa; \Gamma, \chi : \tau \vdash e' : \tau'$  $\Delta$ ;  $\Gamma \vdash$  open e as  $\alpha :: \kappa, \chi : \tau$  in  $e' : \tau'$ 



# Quantify over tuple tail

• Each object may have additional fields and methods beyond what is known at compile time.

$$\frac{\Delta \vdash \tau :: \text{Type} \qquad \Delta \vdash \tau' :: \mathbb{R}^{i+1}}{\Delta \vdash \tau; \tau' :: \mathbb{R}^{i}}$$

 $\Delta \vdash \operatorname{End}^{i} :: \mathbb{R}^{i}$ 

 $\frac{\Delta \vdash \tau :: R^{0}}{\Delta \vdash \langle \tau \rangle :: Type}$ 



# Efficient object encodings $\exists \alpha. \alpha \land (I \alpha)$ $\exists \alpha \leq (I \alpha). \alpha$ $\exists \delta :: Type \rightarrow R^{1}.\mu\alpha.(I' \delta \alpha)$ $I = \lambda \alpha. \langle \alpha \rightarrow int \rangle$ $I' = \lambda \delta :: Type \rightarrow R^1 . \lambda \alpha . \langle \alpha \rightarrow int; \delta \alpha \rangle$



### Non-manifest base classes



# Limitations

- Preceding ideas work well for most of Java & C#
  - Single inheritance
  - Method offsets known at compile time
- Some languages are more flexible
  - Moby base class specified at link time
  - Loom first-class classes
  - Mixins



#### Non-manifest base classes

- The common substrate of many advanced OO features
- When compiling a class C, relatively little is known about its super class
- How do we determine C's object layout?
- Method calls are more expensive; how to optimize them?



# 'Links'

- Fisher, Reppy, and Riecke [ESOP 2000] developed an untyped IL to handle non-manifest base classes
  - Method suites are still tuples
  - Dictionaries map method labels to their offsets
  - Offsets may be computed and stored at compile time, link time, or run time.
  - A type system for 'links' seems very difficult



# Type-safe 'certified binaries'

- Shao, et al. [POPL 2002] showed how to use calculus of constructions as a very sophisticated type language for any computation language
- Example: reason about array indices in the type language, and safely lift & remove bounds checks in the computation language
- Should work for reasoning about offsets in Links

